





Smoothing on Dynamic Concurrency Throttling

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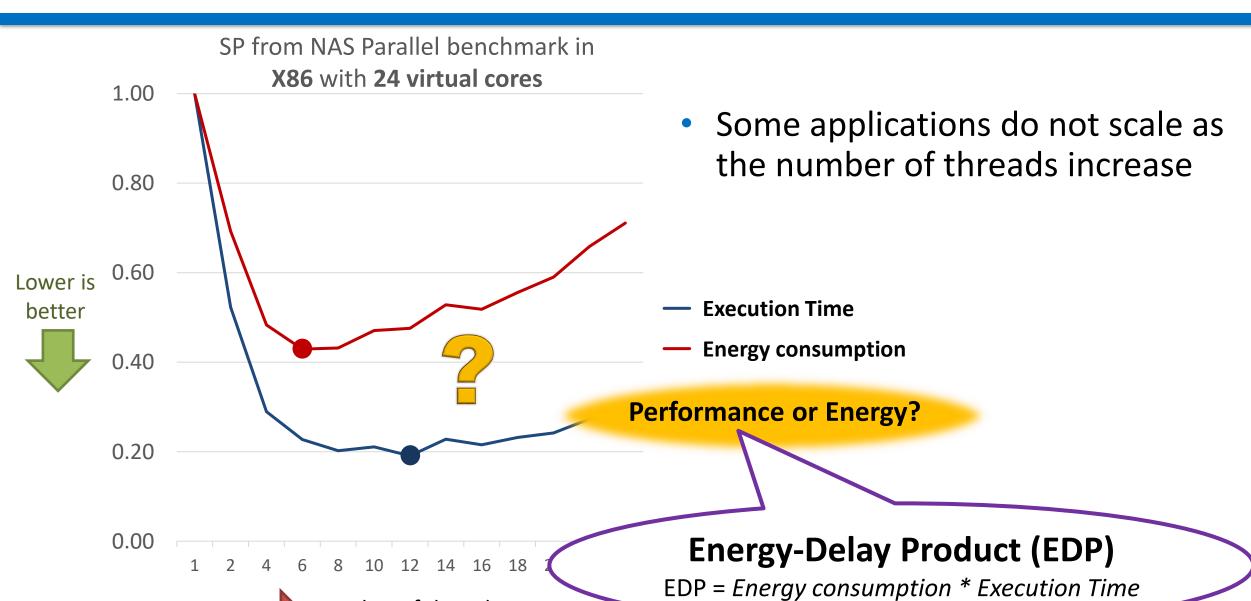
- Introduction
- Motivation
- Smoothing on DCT
- Experimental Setup
- Evaluation
- Final consideration



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Parallel applications scalability



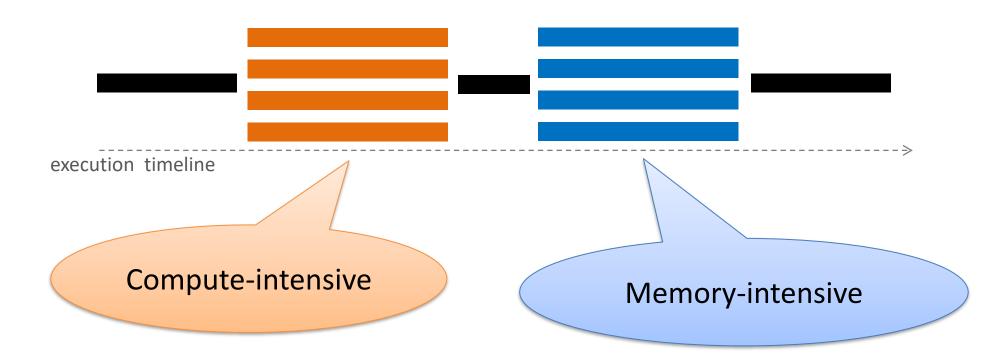


Number of threads

Different parallel regions of an application



- Usually, a parallel application has more than one parallel region
- Each parallel region may exhibit different behavior



They may have a different optimal number of threads

It lacks adaptability

Tuning thread count approaches

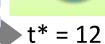




Execution timeline

Search phase: Before

execution

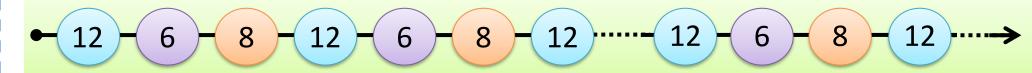


DynamicExecution timeline

Search phase:

Before

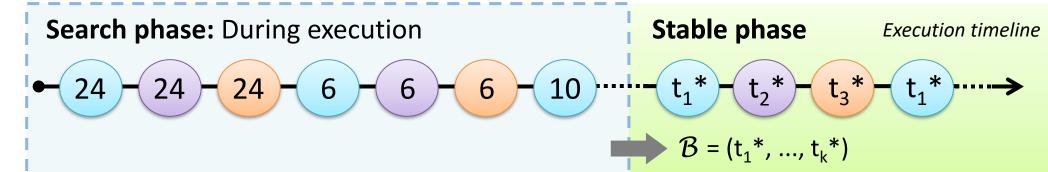
execution



$$\triangleright \mathcal{B} = (12, 6, 8)$$

Online Dynamic

It can adapt to any changes at run-time



It lacks adaptability

Tuning thread count approaches



Offline

Pusukuri et al. (2011); De Sensi (2016)

Execution timeline

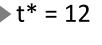
Search phase:

Before

execution



Static



Wang et al. (2016); Popov et al. (2019)

Execution timeline

ecution timeline

Search phase:

Before

execution



Online Dynamic

It can adapt to any changes at run-time

Search pk

 $\mathcal{B} = (12, 6, 8)$

Lee et al. (2010); Chadha et al. (2012); Suleman et al. (2008); Curtis-Maury et al. (2006,2008); Li et al. (2010); Sridharan et al. (2014); De Sensi et al. (2016); Li and Martinez et al. (2006); Alessi et al. (2015); Lorenzon et al. (2018); Schwarzrock et al. (2020)



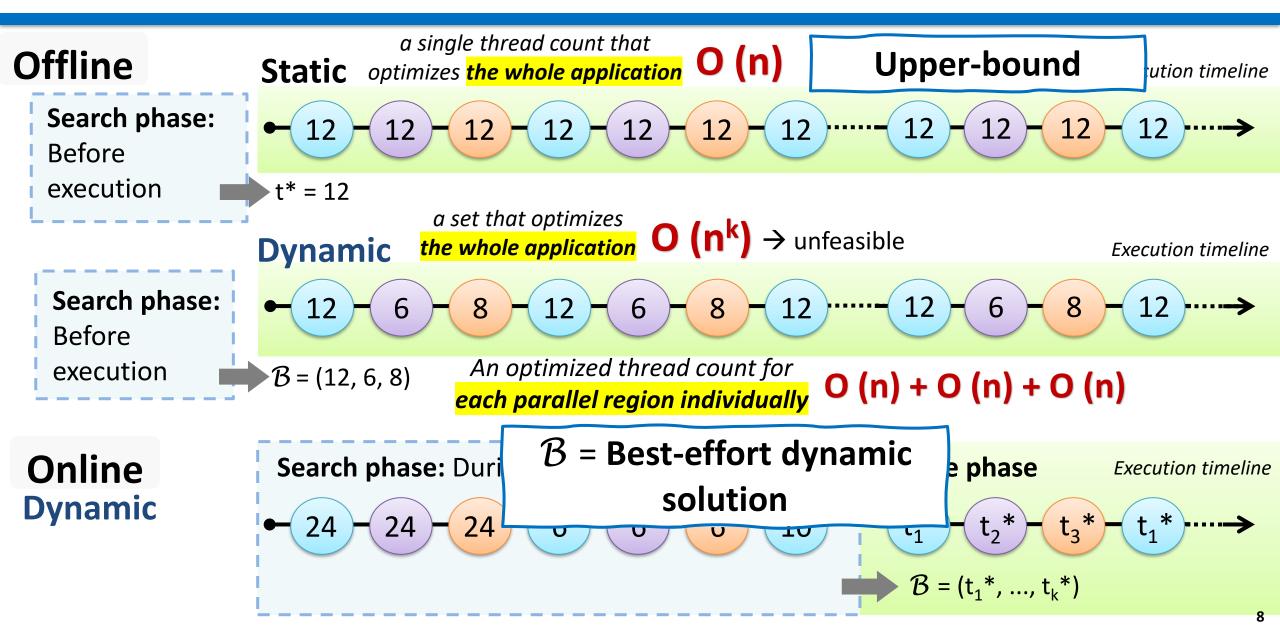
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 $\mathcal{B} = (t_1^*, ..., t_k^*)$

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Tuning thread count approaches







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Motivation

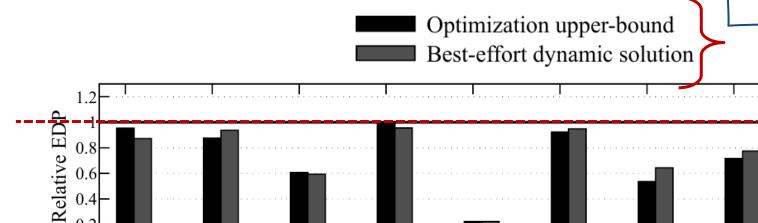


Offline learning to get results with no learning overhead

GMEAN

SP.B

PO



FT.C

CG.B

FFT

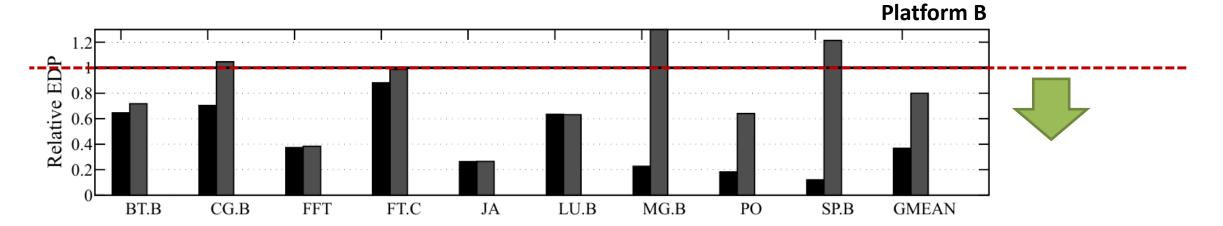
BT.B

Baseline Platform A (the defa

(the default execution): Execution with the maximum number of threads

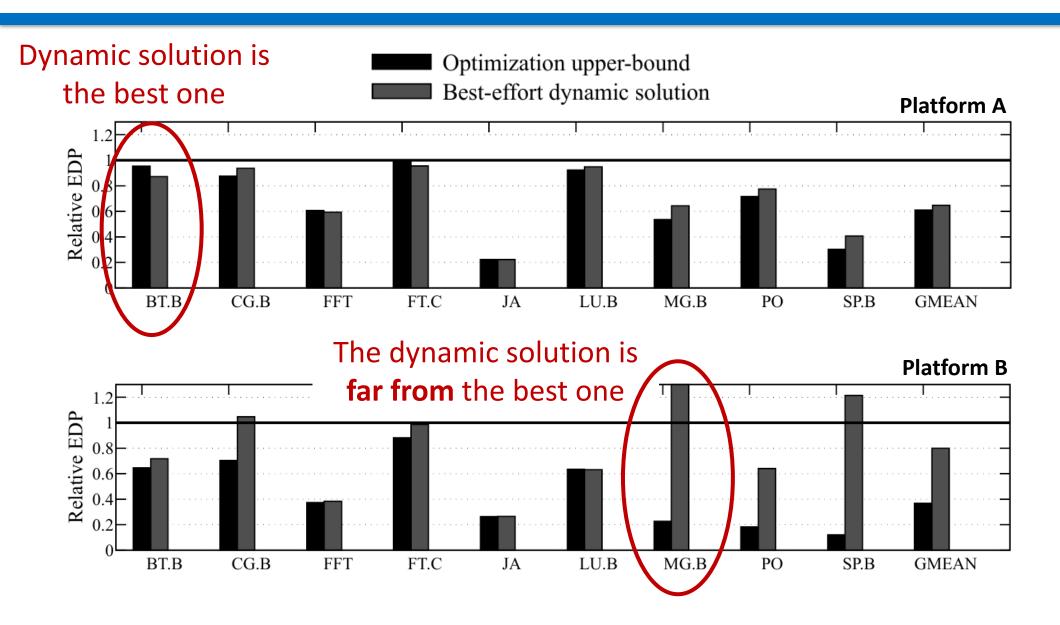






Motivation





Motivation

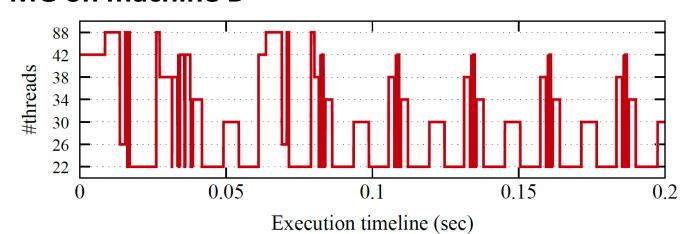






Dynamic solution is the best one

Best-effort dynamic solution (B) MG on machine B



The dynamic solution is **far from** the best one

When the thread count changes very often, the benefit of using the best configuration for each parallel region may not compensate for the switching cost

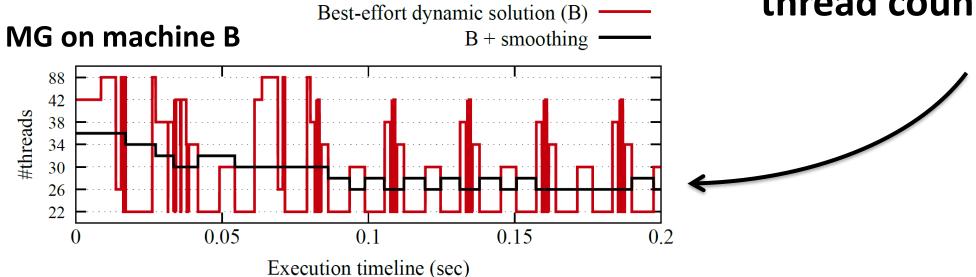
Creating/destroying/migrating threads; data warm-up (memory caches warm-up, TLB misses)

Our proposal: smoothing thread count changes



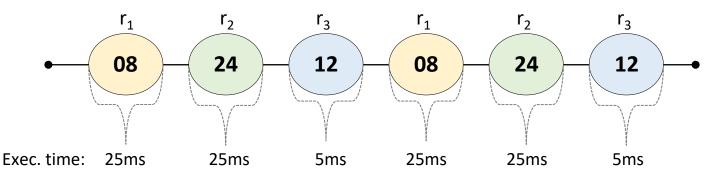
- It alleviates the switching overheads.
- Our proposal is generic and aims further to improve the optimization results of any DCT technique (offline and online).

We propose a smoothingbased strategy to minimize the thread count changes

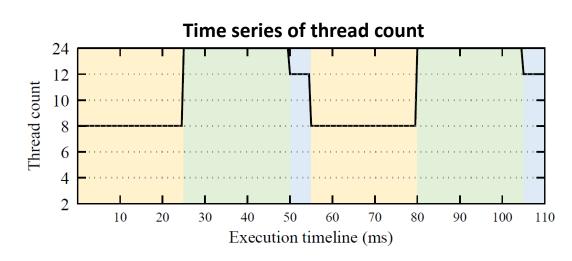




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Parallel region	Best #threads
r1	08
r2	24
r3	12



$$\mathcal{B} = (08, 24, 12)$$

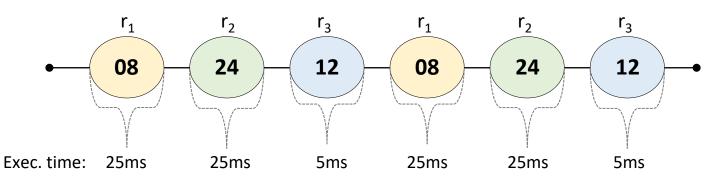
$$\mathcal{Y} = (y_1, y_2, y_3, \dots, y_m)$$

$$\mathcal{E} = (w_1, \ w_2, \ w_3, \dots, \ w_m)$$

$$\bar{\mathcal{Y}} = (\bar{y}_1, \ \bar{y}_2, \ \bar{y}_3, \dots, \ \bar{y}_m)$$

Weighted Moving Average (WMA) a lightweight and powerful smoothing technique

$$\bar{y}_i = \frac{(y_i w_i) + (y_{i-1} w_{i-1}) + \dots + (y_{i-n-1} w_{i-n-1})}{w_i + w_{i-1} + \dots + w_{i-n-1}}$$

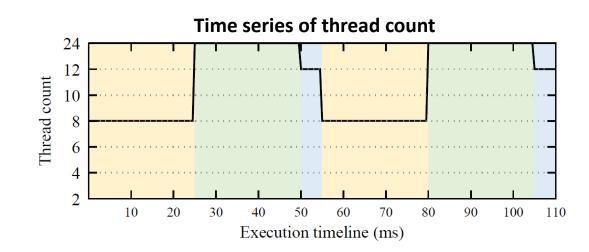


The time series (thread count):

$$\mathcal{Y}$$
 = (08, 24, 12, 08, 24, 12)

The weights (exec. time):

$$\mathcal{E}$$
 = (25, 25, 5, 25, 25, 5)



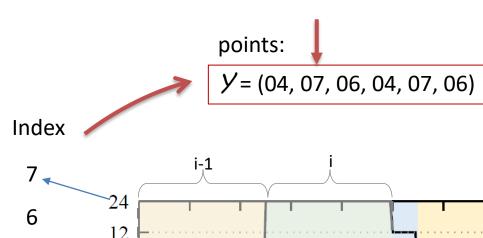
$\mathcal{Y} = (y_1, y_2, y_3, \dots, y_m)$

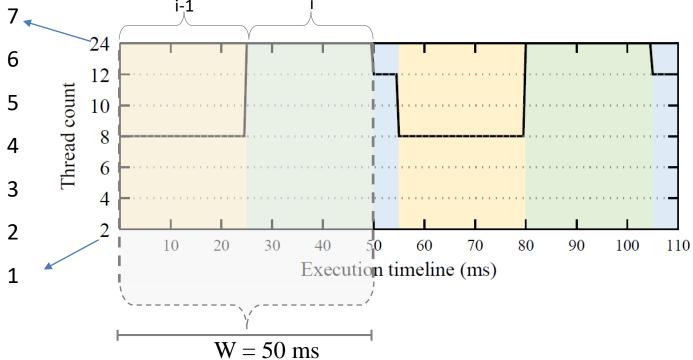
$$\mathcal{E} = (w_1, \ w_2, \ w_3, \dots, \ w_m)$$

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$$ar{\mathcal{Y}}=(ext{ 8 }, ext{ 12 }, \ ar{y}_3, \dots, \ ar{y}_m)$$
 Round to 6 Index 6 = 12 threads $ar{y}_2=rac{(7 imes25)+(4 imes25)}{50}=5.5$

$$\bar{y}_i = \frac{(y_i w_i) + (y_{i-1} w_{i-1}) + \dots + (y_{i-n-1} w_{i-n-1})}{w_i + w_{i-1} + \dots + w_{i-n-1}}$$



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Execution Environment



Machine	Α	В
Processor	Intel Xeon E5-2630 (Sandy Bridge) 2.3GHz	Intel Xeon E5-2699v4 (Broadwell) 2.2 GHz
#Sockets (#nodes)	2	2
#Cores per socket	6 (2-way SMT)	22 (2-way SMT)
#Threads total	24	88
L1 cache (private)	12 x 32KB	44 x 32KB
L2 cache (private)	12 x 256KB	44 x 256KB
L3 cache (shared)	2 x 15MB	2 x 55MB
RAM Memory	2 x 16GB	2 x 128GB

OS Linux kernel v. 4.19.0.

Thread count search space:

Machine A: 2, 4, 6, 8, 10, 12 and 24

Machine B: (2, 4, 6, 8, ..., 44) and (88)

physical cores (only **even** numbers)

the maximum number of threads

Benchmarks



9 OpenMP Parallel Applications written in C/C++:

Six kernels from the NAS Parallel Benchmark:

• BT, CG, FT, LU, MG, and SP

Three applications from different domains:

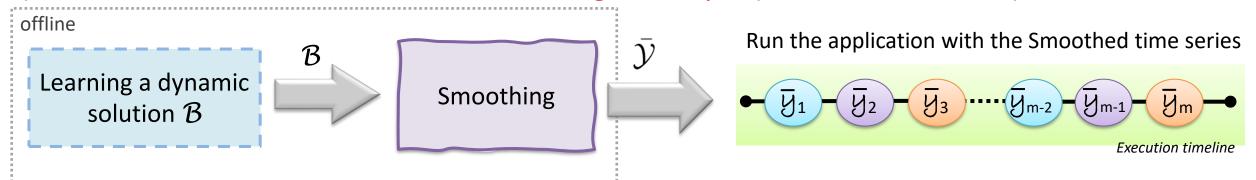
- Fast Fourier Transform (FFT);
- Jacobi (JA);
- Poisson (PO).
- GCC version 8.3 (OpenMP 4.5) with –O3

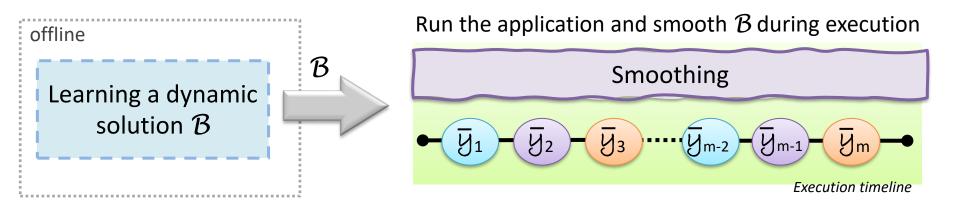
Benchmark	Input
ВТ	Class B
CG	Class B
FT	Class C
LU	Class B
MG	Class B
SP	Class B
FFT	Array of 10000 elements
JA	Square matrix of 8192
РО	Square matrix of 768



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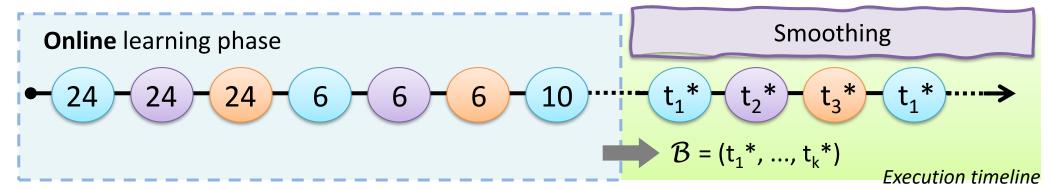
a) Evaluate the effectiveness of the smoothing technique (without online cost):





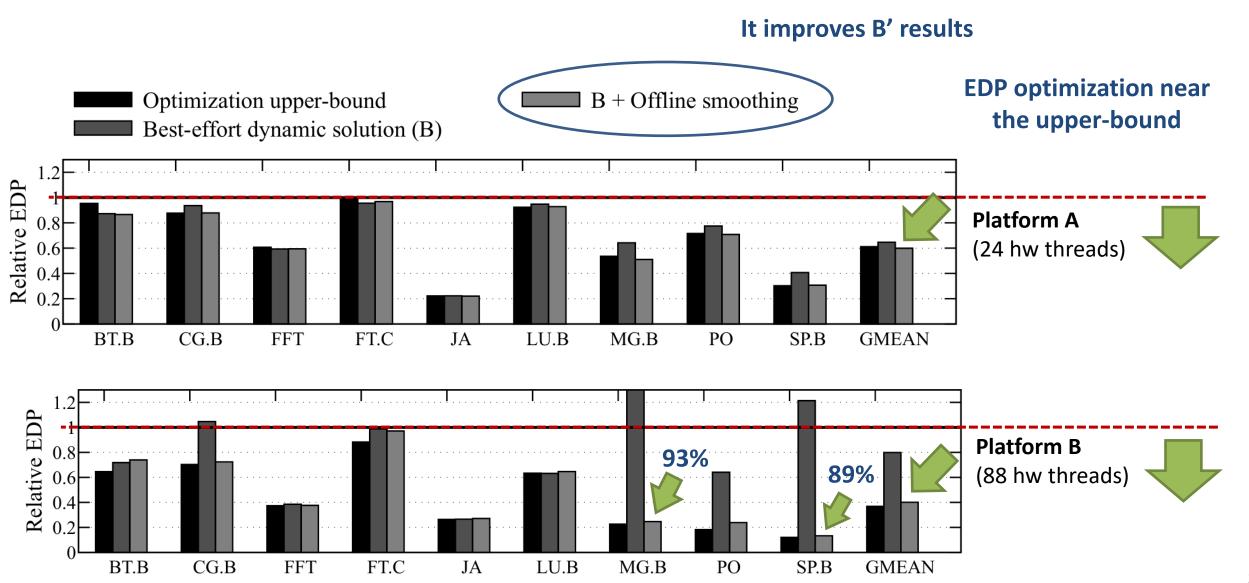
b) Evaluate the online smoothing overhead

c) Evaluate the online smoothing into a DCT online learning technique



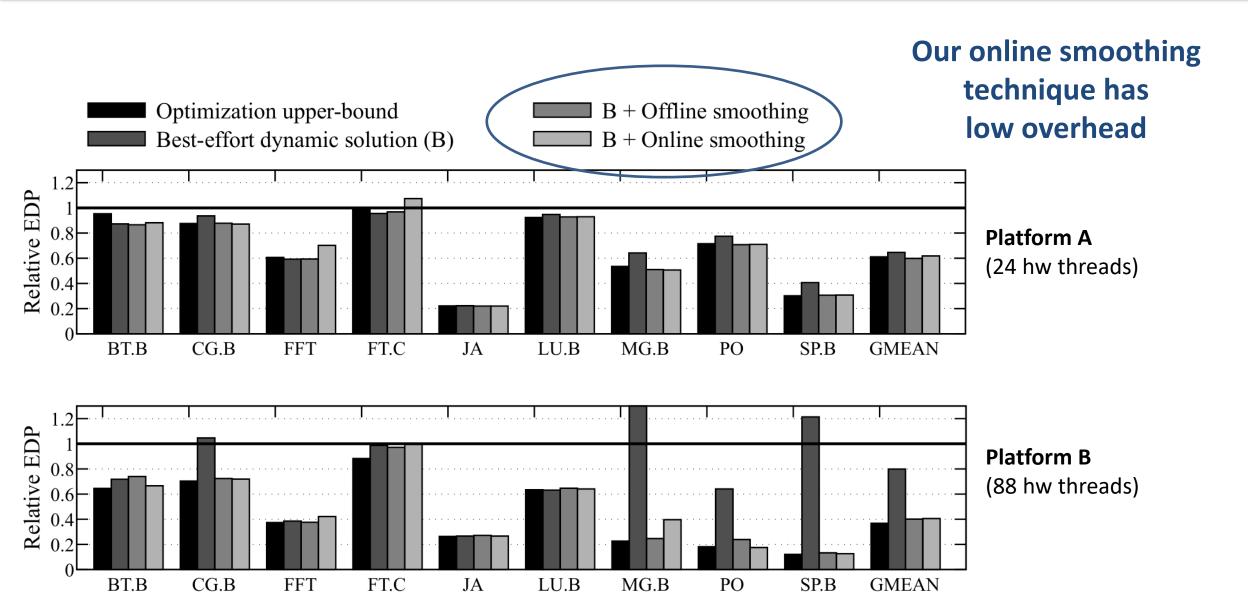
a) the effectiveness of the smoothing technique





b) the online smoothing overhead

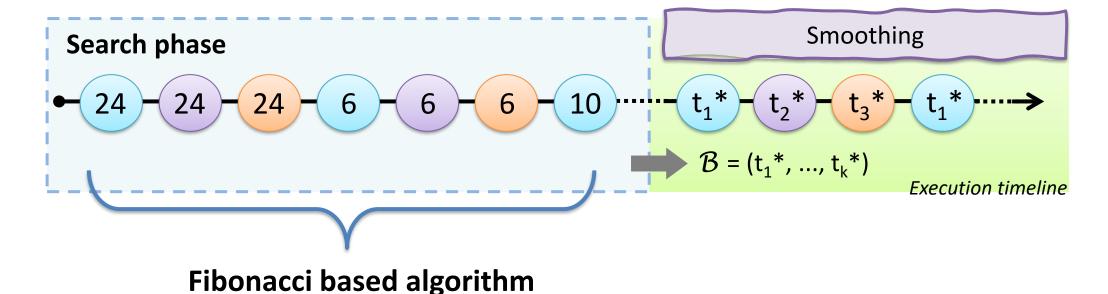




c) Smoothing into a DCT online learning technique



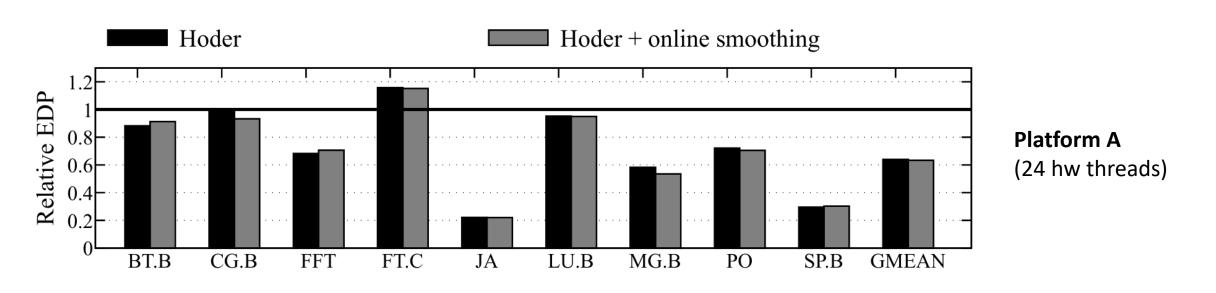
- Online learning DCT technique
- Hoder [1]

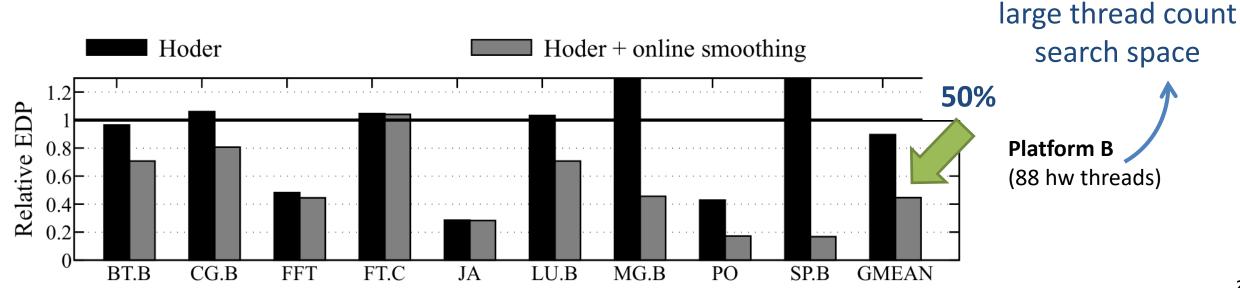


[1] J. Schwarzrock, C. C. de Oliveira, M. Ritt, A. F. Lorenzon, and A. C. S. Beck, "A runtime and non-intrusive approach to optimize edp by tuning threads and cpu frequency for openmp applications," IEEE TPDS, vol. 32, no. 7, pp. 1713–1724, 2020

c) Smoothing into a DCT online learning technique









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Final consideration



- A smoothing-based strategy to further improve the optimization results of any DCT technique
- Our strategy smooths the thread count changes alleviating the switching overheads, which is generated by DCT when changing the number of threads during application execution
- Experiments on two multicore systems with nine well-known benchmarks show that our smoothing technique improves EDP results of offline and online state-of-the-art DCT techniques by up to 93% and 89% (overall mean of 22%), respectively.







Thanks for your attention! Questions?

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